



Flexible Food Packaging for the 21st Century and Beyond

Dr. Kenneth S. Laverdure

Frito-Lay, Inc.

Packaging Research and Development

Sustainability and Advance Materials Group

Ken.Laverdure@FritoLay.com

A Little Quote

“Knowledge and Timbers
shouldn’t be much used
'till they are seasoned.”

Oliver Wendell Holmes, 1858

Outline

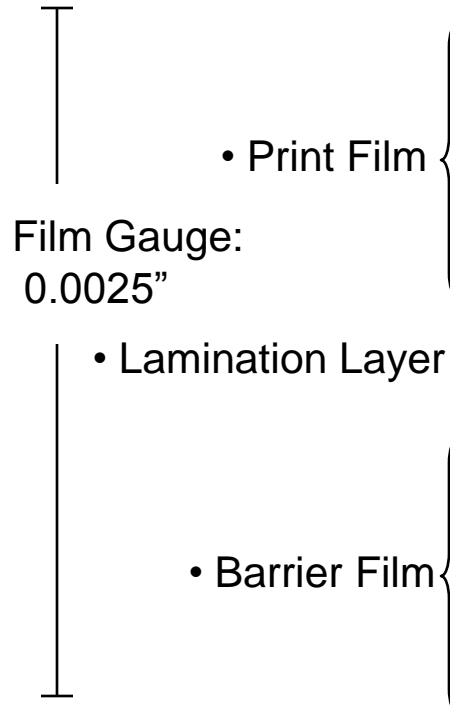
- Review of classical multi-layer film structure
- Understanding the Physics of Mass Transport
- Practical Knowledge of Barrier
- Barrier Technologies



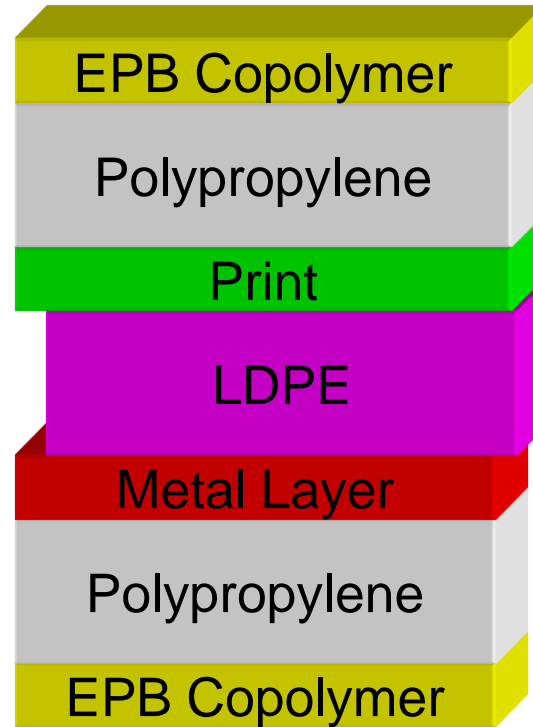
FILM STRUCTURES



Typical Opaque Laminated Film



Cross-Section



inside

Function

- Sealing
- Clarity
- Graphics
- Inter-layer Adhesion
- Barrier
- Stiffness
- Sealing

Typical Packaging Film Structure

Outer Web

Tie Layer

Inner Web

Typical Layer Materials

Oriented Polypropylene

Polyethylene

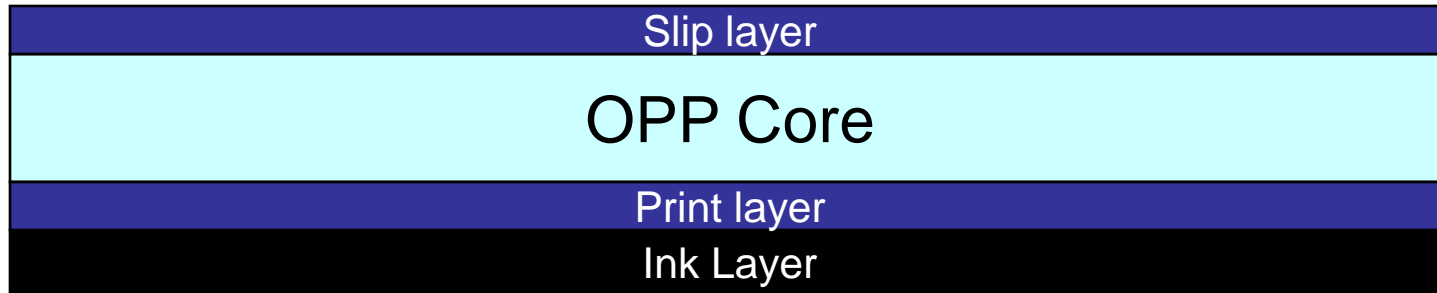
Metalized Oriented Polypropylene

Print web: gloss (or matte), stiffness, machine-ability

Tie layer: stiffness, barrier

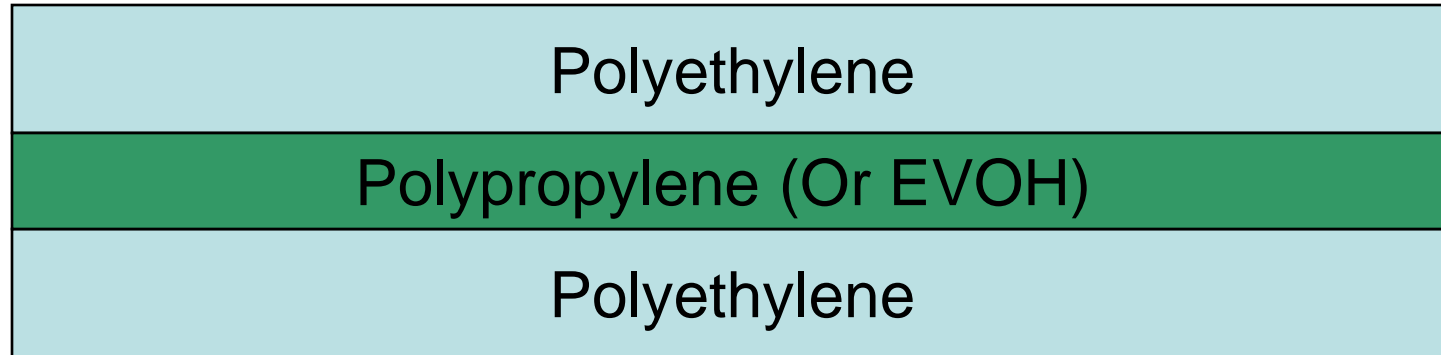
Barrier web: sealant, stiffness

Outer Web



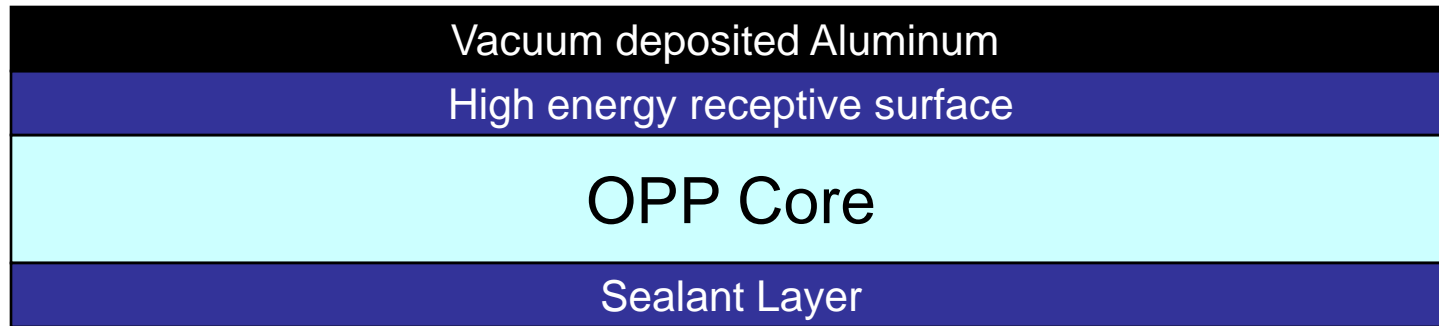
The Outer web is typically a three layer structure, Featuring a core, a slip layer, and a print surface. Graphics are reverse printed by the converter.

Tie Layer



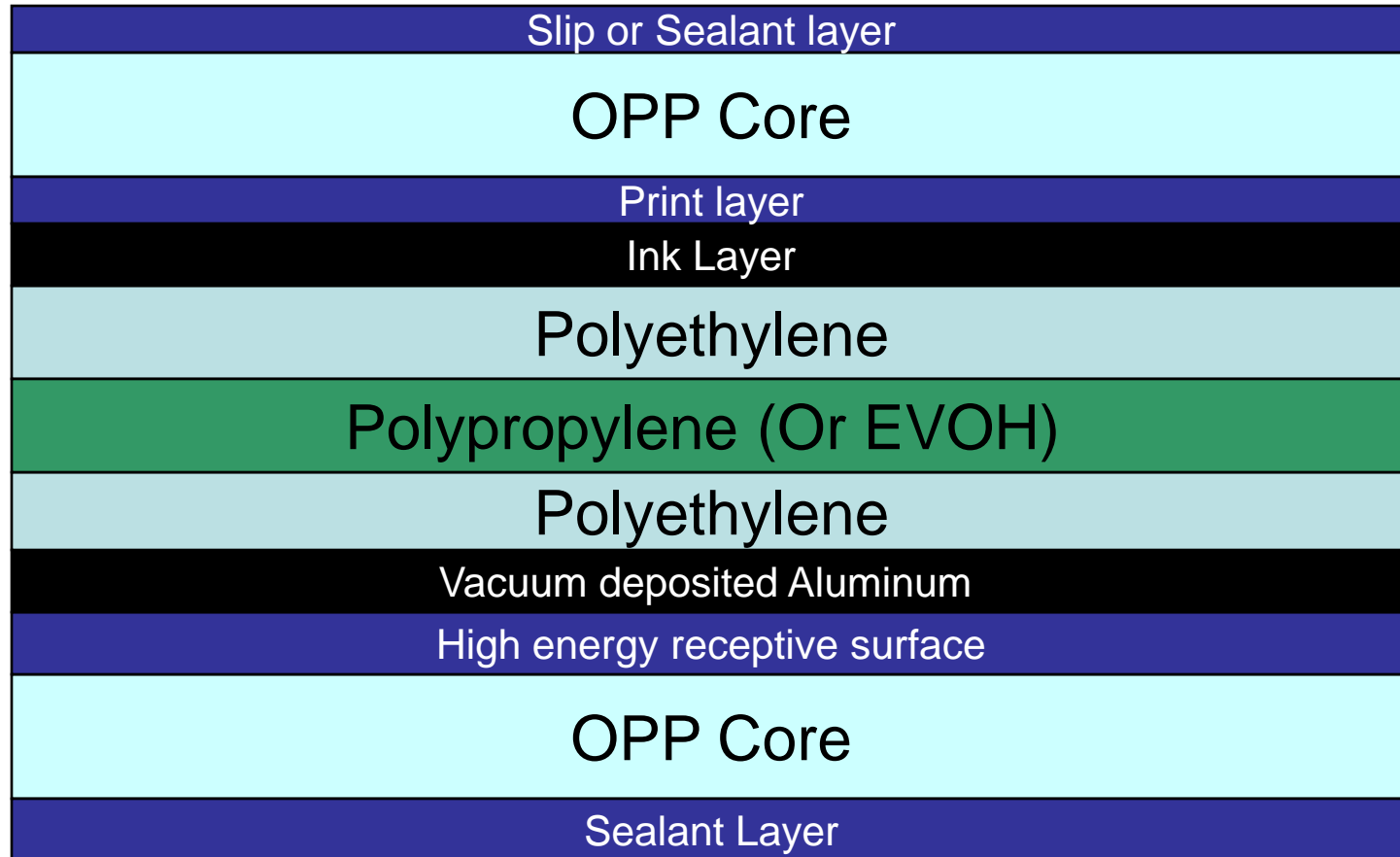
The tie layer bonds inner/outer webs together, provides stiffness, package opening for the consumer, and occasionally O₂ barrier

Inner Web



The inner web is typically a three to four layer film, which provides heat seal, stiffness, and barrier against oxygen, moisture, and light.

Typical Packaging Film Structure





MASS TRANSPORT: THE MATHEMATICS



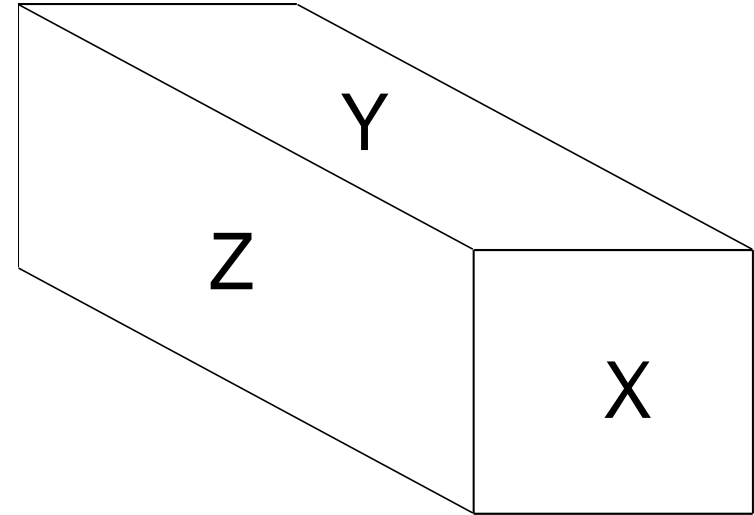
“Do not worry about your difficulties in Mathematics. I can assure you mine are still greater.”

Albert Einstein

Continuity Equation and Mass Transport

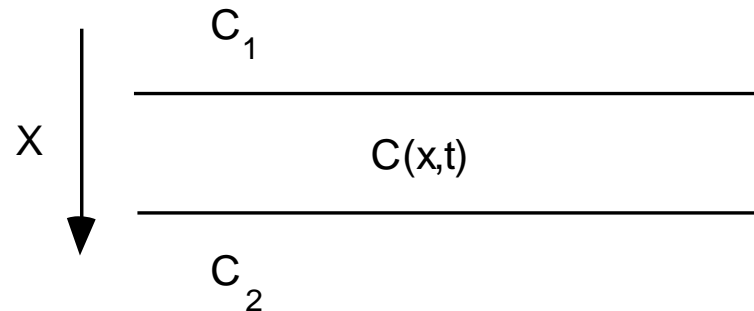
- General case of diffusion

$$\frac{\partial c}{\partial t} + \frac{\partial j_x}{\partial x} + \frac{\partial j_y}{\partial y} + \frac{\partial j_z}{\partial z} = 0$$



- One dimensional case of diffusion

$$\frac{\partial c}{\partial t} = - \frac{\partial j_x}{\partial x}$$



Fick's Laws of Diffusion

- Diffusion coefficient, D , relates concentration profiles to flux within a film (polymer).
- Fick's first law:

$$j_a = -D_{ab} \frac{\partial c_a}{\partial x}$$

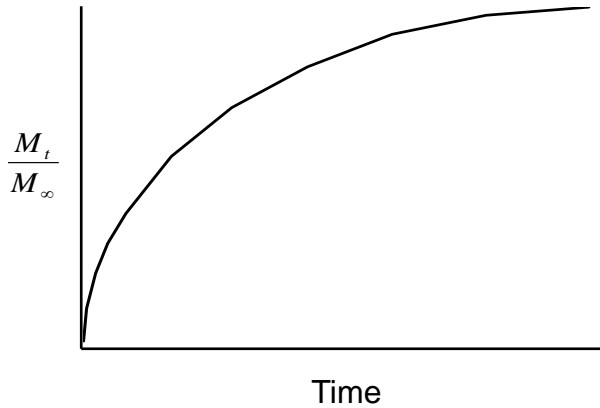
- Fick's second law:

$$\frac{\partial c_a}{\partial t} = D_{ab} \frac{\partial^2 c_a}{\partial x^2}$$

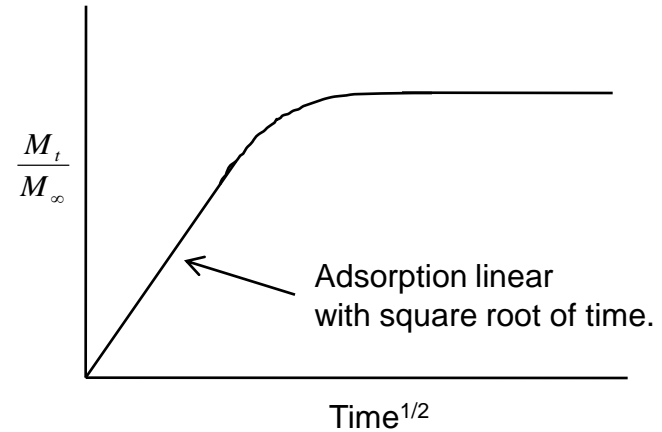
- Case of 1-D unsteady state transport through a membrane

Different Cases of Mass Transport

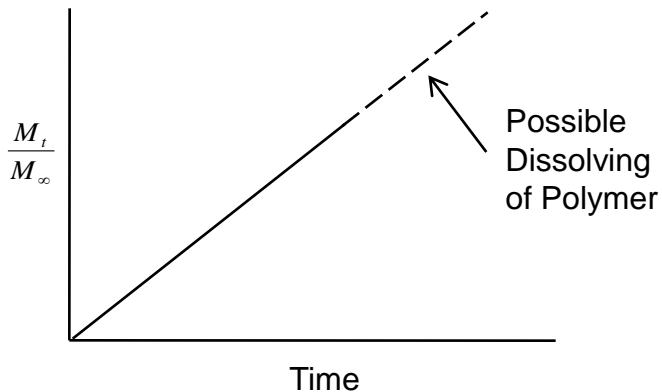
Fickian Diffusion



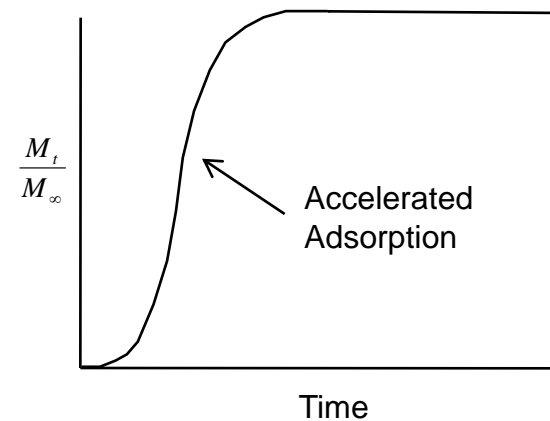
Fickian Diffusion (time^{1/2})



Case II, or Solvent Front Transport



SuperCase II (Activated) Diffusion



These behaviors may be observed by measuring the weight of a film over time. A film surrounded by water vapor for example.

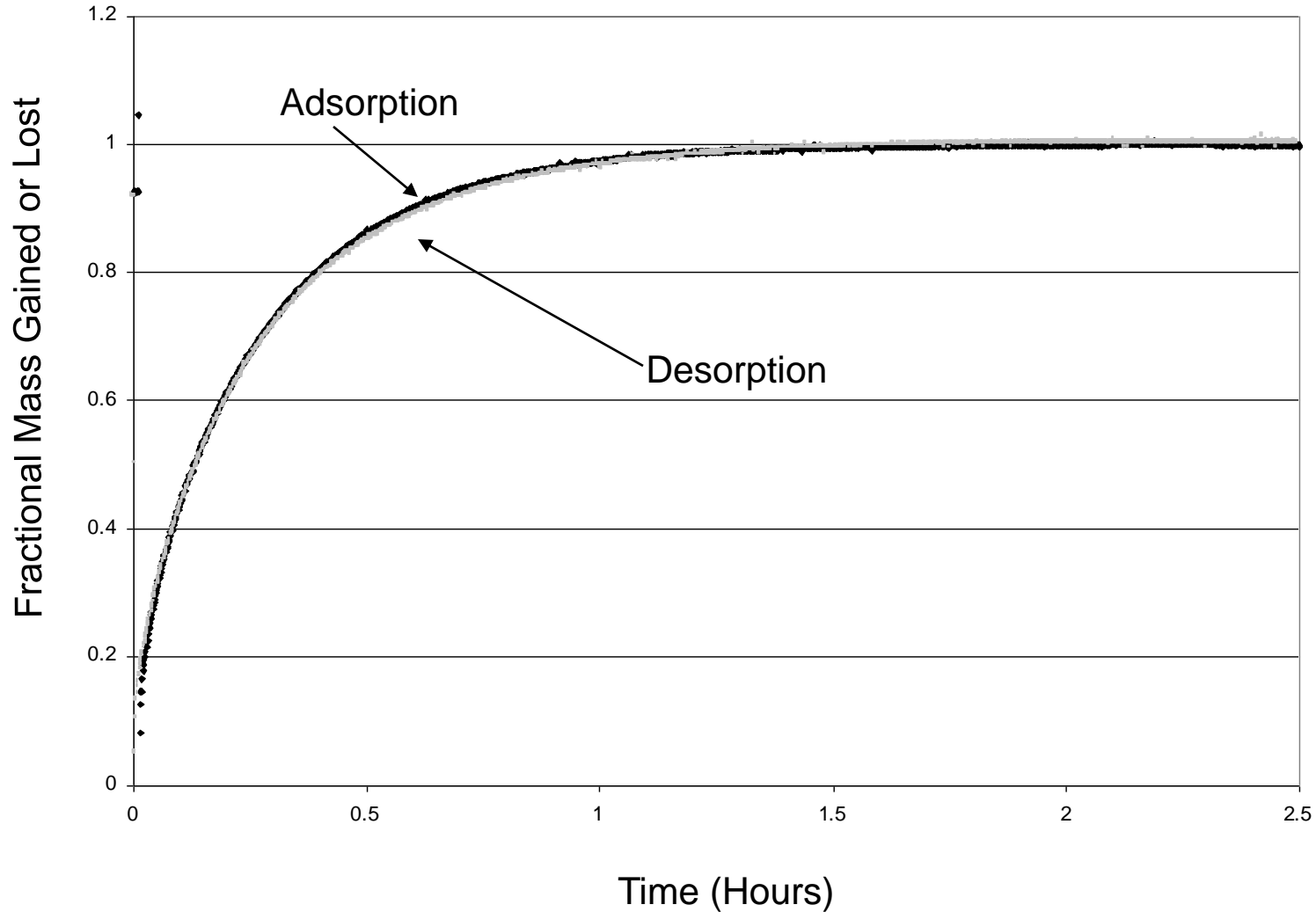
Determining Transport Case

- Mass Uptake versus time:

$$\frac{M_t}{M_\infty} = kt^n$$

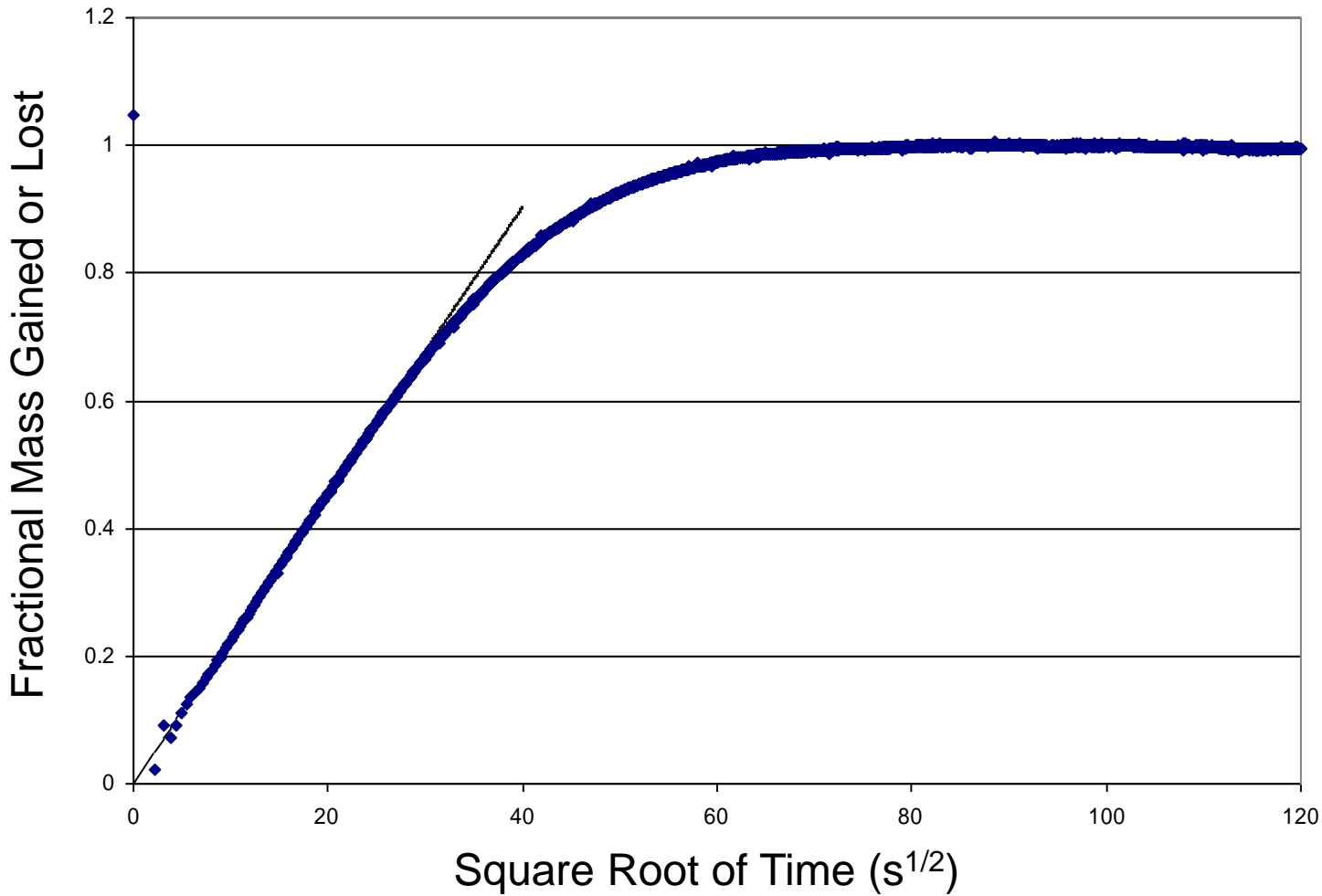
- Where M_t = mass at time t
 M_∞ = mass at equilibrium
 k = proportionality constant
 n = power index
 - Power Index (n) determines Transport Case
- May be determined plotting by weight uptake over time

Example of Fickian Diffusion



Fickian Diffusion -- Curve of CO₂ Ad/desorption within Polymer Film

Fickian Diffusion vs. Time^{1/2}



1 hr = 3600s;
 $\sqrt{3600} = 60$

Fickian Diffusion – Demonstration of linear behavior

- 'Initial Slope Method'

$$\frac{M_t}{M_\infty} = 8 \left(\frac{Dt}{L^2} \right)^{1/2} \left[\pi^{-1/2} + 2 \sum_{m=0}^{\infty} (-1)^m \operatorname{ierfc} \frac{mL}{4(Dt)^{1/2}} \right]$$

Crank, "Mathematics of Diffusion", 1975.

- Fickian diffusion
 - Initial slope of mass uptake is linear with $t^{1/2}$.
- For short times and Fickian diffusion,

$$\frac{M_t}{M_\infty} = \frac{8}{L} \left(\frac{D}{\pi} \right)^{1/2} t^{1/2}$$

Other Methods to Extract D_{eff}

- ‘Half-time Method’

$$\frac{M_t}{M_\infty} = 1 - \frac{8}{\pi^2} \sum_{m=0}^{\infty} \frac{1}{(2m+1)^2} \exp\left(-\frac{4D(2m+1)^2 \pi^2 t}{L^2}\right)$$

Crank, “Mathematics of Diffusion”, 1975.

D from half time of mass uptake: $D = \frac{L^2}{4\pi^2 t_{1/2}} \text{Ln} \frac{16}{\pi^2}$

- ‘Limiting Slope Method’

$$\ln\left(1 - \frac{M_t}{M_\infty}\right) = \ln \frac{8}{\pi^2} - \left(\frac{4D\pi^2 t}{L^2}\right)$$

Slope of $\ln\left(1 - \frac{M_t}{M_\infty}\right)$ versus time $\rightarrow -\left(\frac{4D\pi^2}{L^2}\right)$

Berens, A. R., *Polymer* **1977**, 18, 697.

Other Methods to Extract D_{eff}

- 'Half-time Method'

Plenty of methods to compute D_{eff} ,
each has its own built-in
assumptions and accuracies.

$$\ln\left(1 - \frac{M_t}{M_\infty}\right) = \ln \frac{8}{\pi^2} - \left(\frac{4D\pi^2 t}{L^2}\right)$$

Slope of

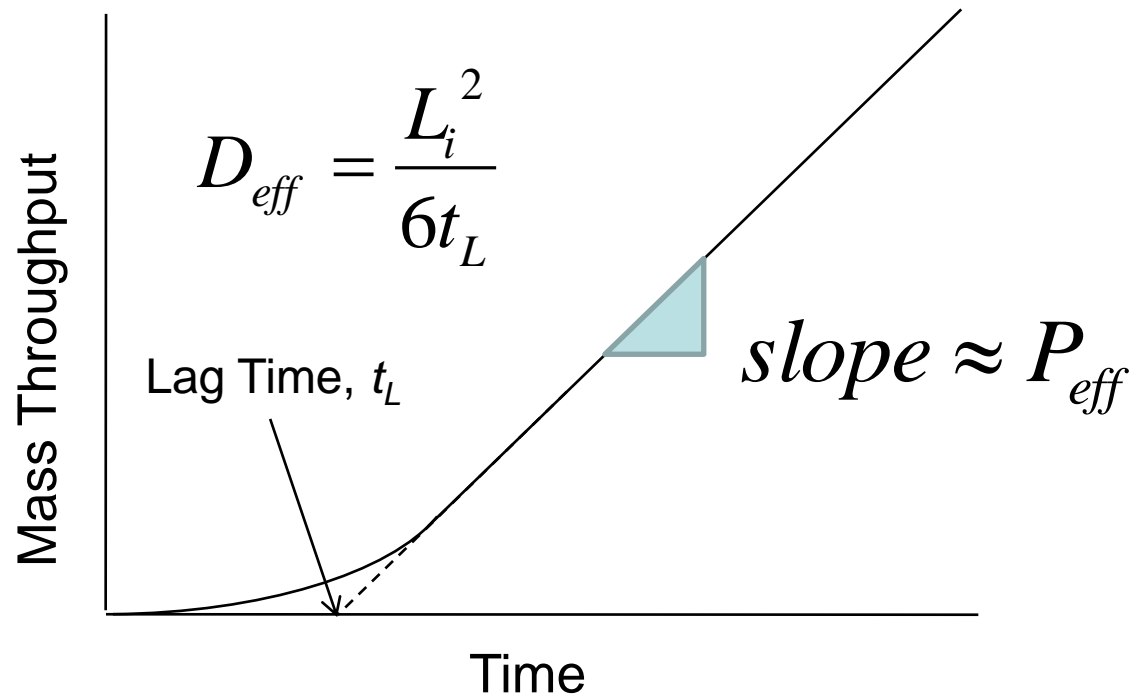
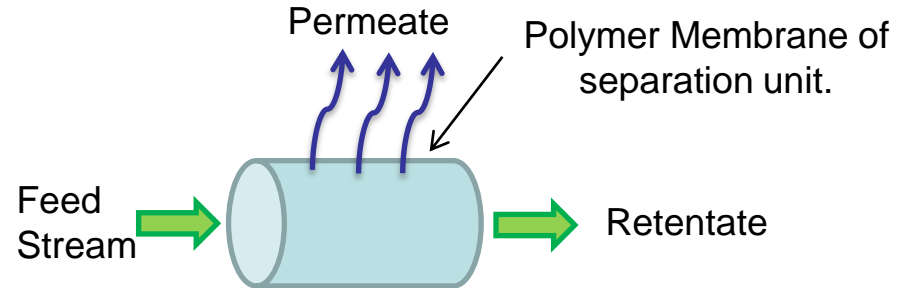
$$\ln\left(1 - \frac{M_t}{M_\infty}\right) \rightarrow -\left(\frac{4D\pi^2}{L^2}\right)$$

versus time

Berens, A. R., *Polymer* **1977**, 18, 697.

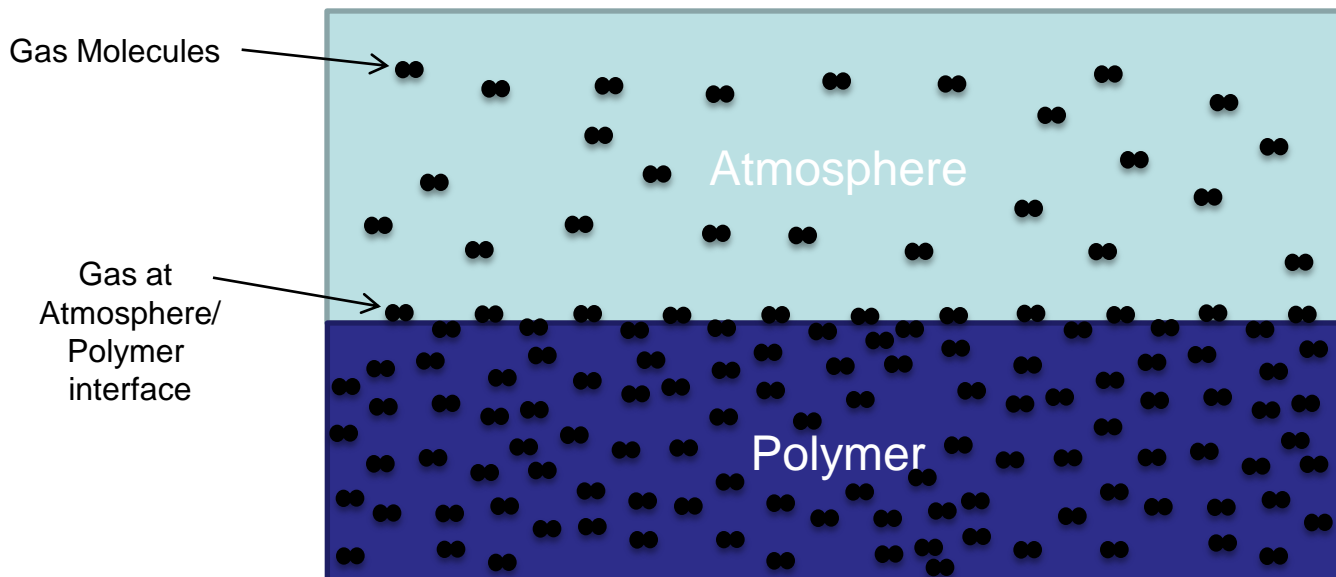
Lag Time Method

Employed with Permeation Cells



Solubility

- Solubility coefficient, S
 - Partitioning of a component within two different phases
- Gas solubility in a solid
 - Henry's Law: $c_i = S_i p_i$





MASS TRANSPORT: THE APPLICATION



“Permeation by the Units”

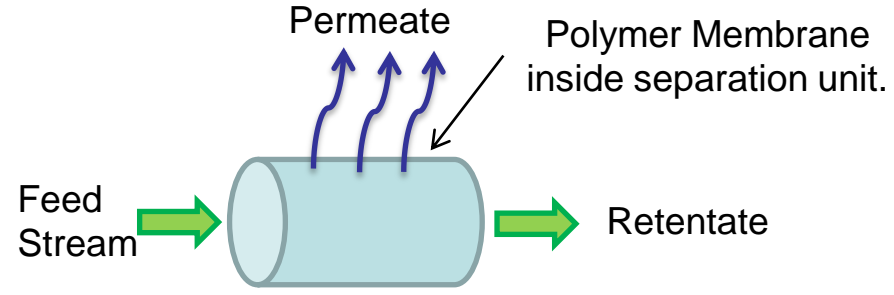
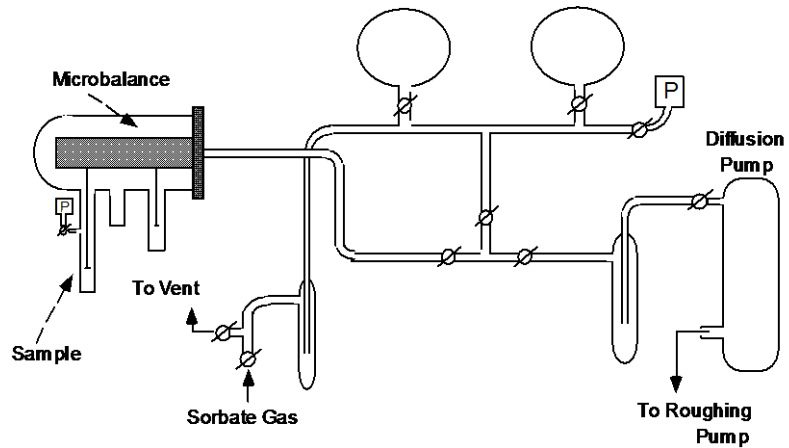
- Permeation, Diffusion, and Solubility Coefficients:

$$P = D * S$$

- $D [=] \text{ cm}^2/\text{s} \equiv \text{cm} * (\text{cm}/\text{s})$
 - Penetration distance (points to cm)
 - Penetration Velocity (points to cm/s)
- $S [=] \text{ cc (STP)} / (\text{cm}^3 \text{ {polymer}} * \text{ atm})$
 - Volume of Adsorb Gas (points to cc (STP))
 - Volume of Solid (points to cm³ {polymer})
 - Driving Force (points to atm)
- $P [=] (\text{cc (STP)} * \text{ cm}) / (\text{cm}^2 * \text{ s} * \text{ atm}) \equiv$
 $(\text{cc(STP)}/\text{cm}^2 * \text{ s}) * \text{ cm} * (1/\text{atm})$
 - Flux (points to cc(STP)/cm² * s)
 - Gauge (points to cm)
 - Driving Force (points to 1/atm)

Permeation, Permeance, and Transmission Rate

- Permeation Coefficient
 - $P [=] \text{ mass} * \text{ film gauge} / (\text{area} * \text{ time} * (\text{delta}) \text{ pressure})$
 - Mass Transport normalized to gauge and conditions
- Permeance
 - Permeance $[=] \text{ mass} / (\text{area} * \text{ time} * (\text{delta}) \text{ pressure})$
 - Mass Transport normalized to conditions for a specific film gauge
- Transmission Rate
 - $TR [=] \text{ mass} / (\text{area} * \text{ time}) \equiv \text{flux}$
 - Mass Transport at specific gauge and conditions.



• Gravimetric Sorption

- Easy to identify types of transport behavior.
- Samples may exhibit a low mechanical integrity.
- Fluids must have a high solubility in the polymer to observe transport.



• Permeation Cell

- Standardized characterization technique.
- Samples must form mechanically stable, continuous film.
- Fluids are not required to be highly soluble in order to observe transport behavior.



Mocon Permatran
(<http://www.mocon.com>)

Oxygen vs. Water: Differences in Barrier

<i>Property</i>	<i>Oxygen</i>	<i>Water Vapor</i>
Composition of Atmosphere	21%	1%
Gas	Permanent	Condensable
Polarity	Non-Polar	Polar
Diffusion	Fickian	Fickian and Type II
Solubility	Low for all polymers	Low for polyolefins (hydrophobic) and High for cellulose/EVOH (hydrophilic)
Permeation Control	Diffusion	Diffusion and Solubility
Barrier Effectiveness	Pin Hole Defects	Surface Area Coverage

Oxygen requires only a diffusion barrier;
Water requires both diffusion and solubility barriers.

Transmission Rates; An example from the web.

	<i>Low</i>	<i>Average</i>	<i>High</i>	<i>Units</i>
PP, WVTR	0.122	0.311	0.702	g/100 in ² /day
PP, OTR	0.00644	2.02	4.51	cc/100 in ² /day
PET, WVTR	0.0316	0.265	0.386	g/100 in ² /day
PET, OTR	13	28.2	58.4	cc - mil/100 in ² /day/atm

Red = PP with functional barrier, PVDC or metallization

Blue = PP with no functional layers

Transmission Rates: The Literature

Film Classification ASTM D-1600	Film Modification	Permeability, 25°C (cc * mil)/(100 in ² * day * atm)		Water Vapor Transmission Rate 38°C, 50 to 100% RH (cc * mil)/(100 in ² * day) ASTM E-96
		Oxygen ASTM D-1434	Carbon Dioxide ASTM D-1434	
Polyamide	None	2.6	11 ± 1.0	19 ± 3
Polyamide	Biaxially Oriented	1.3	No Data	10.5
Polyamide	PVDC Coated	0.5	1.4	0.2
Polyamide	Metallized	0.05	No Data	0.2
PET	None	4.5 ± 1.5	20 ± 5	1.2
PET	PVDC Coated	0.4	No Data	0.9
PET	Metallized	0.08	No Data	0.1
LDPE	None	500	2700	1.3
LLDPE	None	545 ± 295	2750 ± 2250	1.2
HDPE	None	185	580	0.3
PP	None	250 ± 160	925 ± 425	1.75 ± 0.25
PP	Biaxially Oriented	135 ± 25	390 ± 150	0.5 ± 0.2
PP	Metallized	3	No Data	0.33 ± 0.08
PS	None	330 ± 165	1160 ± 520	8.5
PVC	None	17 ± 13	27 ± 23	3.0 ± 2.0
PVC	Plasticized	450 ± 150	4500 ± 1500	17 ± 12
PVDC	None	3.9 ± 3.0	24 ± 20	0.35 ± 0.3

Select Coefficients for Film

<i>Polymer</i>	<i>Oxygen</i>		<i>Carbon Dioxide</i>	
	<i>D</i> <i>cm²/s</i>	<i>S</i> <i>cc (STP)/(cc * atm)</i>	<i>D</i> <i>cm²/s</i>	<i>S</i> <i>cc (STP)/(cc * atm)</i>
EVOH, 42% ethylene	7.2E-10	5.9E-03		
PET	2.7E-09	6.9E-02	6.2E-10	2.0E+00
PVC	1.2E-08	3.0E-02	8.0E-09	2.4E-01
PP	2.9E-08	2.7E-01	3.2E-08	8.4E-01
HDPE	1.6E-07	1.8E-02	1.1E-07	1.1E-01
LDPE	4.5E-07	5.0E-02	3.2E-07	3.0E-01

Diffusion and Solubility Coefficient Data is difficult to obtain from literature.

P. DeLassus, "Barrier Polymers," H. Tung, *Ed.*, Kirk-Othmer Encyclopedia of Chemical Technology – 4th Ed., Vol. 3 (1992), pp. 931-962.
(Multiple References)

Permeation Coefficients: A Comparison

Permeation Coefficients

Film Classification	Tock 1983 (cc * mil)/(100 in ² * day * atm)		DeLassus (Dow Chemical) (cc * mil)/(100 in ² * day * atm)		DeLassus (D & S data) cc(STP) * mil / (100 in ² * day * atm)	
	Oxygen	Carbon Dioxide	Oxygen	Carbon Dioxide	Oxygen	Carbon Dioxide
PET	4.5 ± 1.5	20 ± 5	3 ± 0.5	20 ± 5	4	27
PVC	17 ± 13	27 ± 23	12.5 ± 7.5	35 ± 15	8	42
PP	250 ± 160	925 ± 425	200 ± 50	650 ± 150	173	591
HDPE	185	580	150 ± 50	650 ± 50	63	257
LDPE	500	2700	300 ± 50	1100 ± 400	489	2086



$$P = D * S$$

Coefficients from different sources generally agree.
Some error is present in Mass Transport measurements.

P. DeLassus (Dow Chemical Data), "Barrier Polymers," H. Tung, *Ed.*, Kirk-Othmer Encyclopedia of Chemical Technology – 4th Ed., Vol. 3 (1992), pp. 931-962.
(Permeation data from Dow Chemical Brochure)

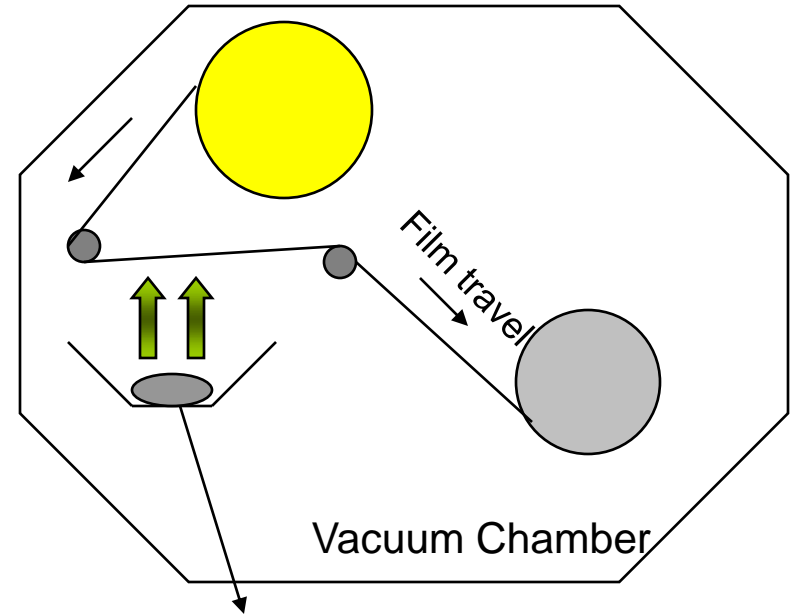


BARRIER TECHNOLOGY



Vacuum Metallization

- Properly prepared roll of OPP placed inside vacuum chamber
- Vacuum drawn to $< 10^{-4}$ mm Hg (10^{-6} atm)
- Rewound and passed over molten Al
- Al vapor deposited on surface of film




Nanotechnology Barrier

- Clay Platelet
 - Aspect Ratio 100 to 1000 for length to gauge.
 - Impenetrable to permeate gas.
- Barrier formed by tortuous path of platelet.
 - Platelet perpendicular to direction of permeation gives maximum barrier.
- Application methods
 - Aqueous solutions
 - Extrusion


Polymer film with nanoparticle platelets



- Diffusion controlled by number and orientation of platelets.
- Solubility controlled by polymer binder.



IN
CONCLUSION



Summary

- Packaging film structures are complex assemblies with specialized layers for barrier.
- The type of mass transport, Fickian vs. Case II (solvent front), will determine the type of measurements and models employed.
- Permeation: $P = D * S$
- Consider both diffusion and solubility for barrier.
 - Oxygen requires only a diffusion barrier;
Water requires both diffusion and solubility barriers.

A Final Word

“Knowledge is power.”

Sir Francis Bacon (1561 - 1626)

Whatever technology is employed to obtain barrier in the 21st century, knowledge of mass transport fundamentals will allow you to leverage that technology to the fullest.